Pythagoras n-sided polygon with Natural Numbers using Programming Language

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Abstract - In this paper, using computer programming language Java we determine the Pythagoras n-sided polygon for any (n-1) natural numbers and this Pythagoras n-sided polygon satisfies the extension of the Pythagoras theorem i.e the sum of the squares of the first (n-1) side lengths is equal to the sum of the square of the nth side length.

Key Words: Pythagoras theorem, Triangle, Quadrilateral, Polygon, Pythagoras n-sided polygon

1. INTRODUCTION

In [1, 2, 3, 4, 5, 6] the authors developed extension of Pythagoras theorem for 4, 5, 6, 7, 8, 9 sided polygons using programming language C. But, for a polygon with sides more than10 this process is difficult using programming language C.

In this paper we developed a program using programming language Java for formation of an n-sided polygon when (n-1) natural numbers are provided. This nsided polygon satisfies the Pythagoras theorem.

2. MAIN RESULT

2.1 Algorithm

Step 1: Start.

Step 2: Enter the number of sides of the desired polygon.

- Step 3: Read the value n defining it as k which is of integer data type.
- Step 4: If k is greater than 2, go to step5, else, go to step15.
- Step 5: Define integer data type variables, i, j, t, sum.
- Step 6: Initialize t as (n+1) and sum as zero.
- Step 7: Define arrays arr1[] and arr2[] with size n and t respectively.
- Step 8: Enter any n natural numbers.
- Step 9: Read those values using a for loop.

Step 10: Using another for loop, calculate sum of squares of
all the entered numbers.

- Step 11: Calculate first element of second array arr2[0] as {(2*arr1[0]*arr1[0])-sum}.
- Step 12: If arr2[0] is positive go to step 13, else, go to step 13.
- Step 13: Multiply arr2[0] with -1 and go to step 14.
- Step 14: Calculate the remaining elements of arr2[i] as (2*arr1[i]*arr1[0]) except the last element.
- Step 15: Assign the value sum for arr2[n-1].
- Step 16: Use another for loop to print the elements of arr2[].
- Step 17: Print the statement "Entered number of sides can't form a polygon."

Step 18: Stop.

2.2 Result Analysis

Step 1: Enter number of sides of your polygon.

Step 2: Enter any (n-1) natural numbers.

Step 3: It displays the side lengths of an n-sided polygon.

The above procedure can be explained below :

For example,

- Consider a 5-sided polygon(pentagon).
- Let the four natural numbers be 1, 7, 5, 8.
- The side lengths of the polygon are 137, 14, 10, 16, 139.

The side lengths mentioned above satisfies Pythagoras theorem.

We can represent this result in outputs.



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2.2 Outputs

<terminated> mathspro [Java Application] C:\Program Files\Java\jre1.8.0_60\bin\javaw. Enter number of sides of your polygon Please enter any 4 natural numbers 5 8 The sides lengths of the polygon are 137 14 10 16 139 The side lengths shown above satisfies Pythagoras theorm. So it is a Pythagoras n-sided polygon

Fig-1: For 5-sided polygon

<terminated> mathspro [Java Application] C:\Program Fles\Java\jre1 8.0_60\bin\javaw.e Enter number of sides of your polygon 6 Please enter any 5 natural numbers 12 15 22 28 The sides lengths of the polygon are 1612 120 150 220 280 1662 The side lengths shown above satisfies Pythagcras theorm.

So it is a Pythagoras n-sided polygon

Fig -2: For 6-sided polygon

<terminat< th=""><th>ed> maths</th><th>oro [Java Ap</th><th>plication] C</th><th>Program Fi</th><th>les\Java\jre1.</th><th>8.0_60\bin\javaw.ex</th></terminat<>	ed> maths	oro [Java Ap	plication] C	Program Fi	les\Java\jre1.	8.0_60\bin\javaw.ex
Enter 1 13	number o	f sides	of your	polygon		
Please	enter a	ny 12 na	tural nu	umbers		
1						
3						
5						
7						
11						
29						
59						
97						
111						
123						
154						
178						
The sid	des leng	ths of t	he poly	gon are		
96784	6	10	14	22	58	118
194	222	246	308	356	96786	

The side lengths shown above satisfies Pythagoras theorm. So it is a Pythagoras n-sided polygon

Fig -3: For 13-sided polygon

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<terminat< th=""><th>ed> maths</th><th>pro [Java Ap</th><th>plication] C</th><th>:\Program Fi</th><th>les\Java\jre`</th><th>1.8.0_60\bin</th><th>\javaw.exe (0</th></terminat<>	ed> maths	pro [Java Ap	plication] C	:\Program Fi	les\Java\jre`	1.8.0_60\bin	\javaw.exe (0
Enter 1 21	number o	of <mark>sides</mark>	of your	polygon			
Please	enter a	any 20 na	atural n	umbers			
1		-					
2							
3							
4							
5							
6							
7							
8							
9							
11							
15							
17							
19							
35							
39							
48							
78							
99							
111							
124							
The sid	ies leng	gths of t	the poly	gon are			
49911	4	6	8	10	12	14	16
	22	30	34	38	70	78	
18	22						

The side lengths shown above satisfies Pythagoras theorm.

Fig -4: For 21-sided polygon

<terminated> mathspro [Java Application] C:\Program Files\Java\jre1.8.0_60\bin\javaw.exe Enter number of sides of your polygon Please enter any 11 natural numbers 3 5 7 11 13 17 23 29 31 37 The sides lengths of the 12-sided polygon are : 4361 6 10 14 22 26 34 46 58 62 74 4363 The side lengths shown above satisfies Pythagoras theorm.

So it is a Pythagoras n-sided polygon

Fig -5: For 12-sided polygon



3. CONCLUSIONS

By using this program, we can easily find the n-sided Pythagoras polygon for any (n-1) natural numbers. That n-sided polygon satisfies the extension of a Pythagoras theorem.

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