International Research Journal of Engineering and Technology (IRJET) e-ISSN: 2395 -0056
Volume: 04 Issue: 05 | May -2017 www.irjet.net p-ISSN: 2395-0072

De-Noising with Spline Wavelets and SWT

Asst. prof. R. S. Patil[1], Asst. Prof. G. D. Bonde[2]

Asst. Prof. Ravina S. Patil Dept. of Electronics and telecommunication Engg G. M. Vedak
Asst. Prof. G. D. Bonde Dept. Of Electronics and telecommunication Engg J. T. Mahajan college of Engg. Faizpur Dist. jalgaon

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Abstract :

In this paper explores the difference in performance of spline wavelets of the bi-orthogonal type in denoising images corrupted by Additive White Gaussian Noise. The dependence of the peak signal-to-noise ratio and the mean squared error on the filter characteristics of the wavelets, when stationary wavelet transform is used in the de-noising process is investigated. It is found that the de-noising action augments with use of wavelet of lower effective length for its high pass reconstruction filter. For wavelets with equal effective lengths for their high pass reconstruction filters, a relation similar to the exists for the high pass decomposition filters. In this review work the successful application of sparse coding in compressive sensing, the image self-similarity by using a sparse representation based on wavelet coefficients in a nonlocal and hierarchical way, which generates competitive results compared to the state-of-the-art denoising algorithms. Another adaptive local filter would be proposed for efficient image denoising.

Keywords- Spline wavelet, stationary wavelet transform, Bi-orthogonal wavelets, thresholding. Additive white Gaussian noise (AWGN), 2-D DW

1. INTRODUCTION

1.1 Image Denoising

The image denoised obtained the real word are mixed with noise. The transforming the optical signal in to the digital signal the pixel's value at specific location depends on the number. The image amplification and the transmission additional perturbation can be introduced by electronics device and transmission line. The different type of noise in a digital image

1] Shot noise
2] Thermal noise

The image processing in concerned with image denoising. The degradation comes from blurring as a noise due to various sources then blurring is the form of bandwidth Reduction and image caused by imperfect image the recorded image is also be corrupted noise.

The transmission medium and error during measurement and quantization of the data for digital storage is called noise. (See fig 1.1) the image denoising is extensively required. It is highly necessary to use in appropriate and efficient denoising approach to eliminate or reduce noise while keeping the important image features when pre-processing images.

Fig -1.1: (a) A noise-free Image *Pepper*, (b) A noisy version of it

2. LITERATURE SURVEY

The bilateral filtering is applied to the sub-band then the single level bilateral filtering has to the eliminating low frequency noise component. Some noise component can be removed effectively, the image denoising framework combine to the bilateral filtering and threshold wavelet. The wavelet thresholding method recently is the Sur Shrink based on the inter scale orthogonal wavelet transform Instead of the wavelet coefficient Luisier et at [12] chang and vetterli [8] proposed by the threshold for image denoising using the wavelet soft thresholding. Bays shrink [8] proposed that the threshold Bayesian framework and the prior used wavelet coefficient is the generalized Gaussian distribution (CGD) used in the image processing. This method out performance proposed that Donoho and Johnstone's sureshrink [7] of the time. Then the sendur et at [9] considered then non Gaussian bivariate distribution is purposed and corresponding the

Nonlinear threshold function. Pezurica [10] et. Al developed three wavelet domain denoising method for sub band adaptive, spatially adaptive and multivalue image denoise. With spatial adaptation, for spatially adaptive estimation selective wavelet reconstruction. It showed that variable-knot spline fits and piecewise-polynomial fits, when equipped with an oracle to select the knots, are not dramatically more powerful than selective wavelet reconstruction with an oracle.

3. Discrete Wavelet Transform

The discrete wavelet transform is a small wave which has its energy concentrated in time. The characteristics of (DWT) are a time scale and time frequency. Analysis tools have been widely used in topographic reconstruction and still growing, the advantage of the (DWT) working in the wavelet domain. This is concentrate energy of the desired signal in a small number of coefficients.
Hence the noisy image consists of small number coefficient high signal noise ratio (SNR) and large number of coefficient with low (SNR)
The (SWT) is hierarchical sub band system this image actually divided in to four sub band the vertical horizontal Filters. The sub band labeled is LH1, HL1, HH1, and LL1. The wavelet is set of orthogonal basic function generated by translation and dilation of scaling function. The discrete function is called as a discrete wavelet function (DWT)
The sub band labeled LH1, HL1 and HH1 represent the scale wavelet coefficient. The wavelet transform used 2D version synthesis filter bank.

3.1 Bi-orthogonal wavelets

The bi-orthogonal wavelet is associate wavelet transform is invertible designing of bio-orthogonal wavelet allow more than degrees of freedom than orthogonal wavelets .one additional degree of freedoms construct symmetric wavelet transform bi-orthogonal is a two function or bases .this is used two different scaling function and two different wavelet transform (Φ and Ψ) this is one and the same filters for decomposition and reconstruction. Also, filter banks comprising bi-orthogonal filters are more flexible and designed easily. Bi-orthogonal wavelets have linear phase which is good for reconstruction of images

3.2 Stationary wavelet transform

The stationary wavelet transform (SWT) is similar to the discrete wavelet transform is never sub sampled and sampled of each level decomposition. The stationary wavelet transform (SWT) is a wavelet transform algorithm designed the translation invariance the discrete wavelet Transform (DWT). Translation invariance is removed by down samplers and up samplers in the DWT.
The up sampling filter coefficient by a factor of in the level of algorithm. The SWT is a scheme as the output of each level of SWT contains the same number of sampler input for a decomposition N level. Therefore N in the wavelet coefficients

3.3 Two Dimensional Discrete Wavelet Transform (2-D DWT)

The DWT is extensively used in non-redundant form known as standard DWT. The filter bank implementation of standard DWT for images is 2D DWT. There are certain applications for the optimal representation can be achieved through more extensions of standard DWT such as WP and SWT. The image processing applications required two dimensional implementation of 2D DWT. the 2D DWT is also known as multidimensional wavelet transform

3.4 Thresholding

Wavelet thresholding is a signal estimation technique the capabilities of wavelet transform for a signal denoising. it removes noise by coefficients that are relative to some threshold and turns out to be simple and effective, depends heavily on the choice of this thresholding parameter, this threshold to a great extend the efficiency of denoising. The threshold selection is a Small threshold may yield close to the input but may still be noisy. A large threshold on the other hand, produces a signal with a large number of zero coefficients. This leads to a smooth signal, paying too much attention to smoothness. The image processing may cause blur and artifact.
Thresholding method:
1] Soft thresholding
2] Hard thresholding,
3] Semi-soft thresholding
4] Quantize thresholding
The soft thresholding method is used to analyze the performance of denoising system. This thresholding result in better denoising performance than other denoising, leads severe distraction of the interest than other thresholding method

3.5 Additive white Gaussian noise (AWGN)

The additive Gaussian independent at each independent of the signal intensity, caused primarily by Johnson Nyquist noise (thermal noise). In color cameras where more amplification is used in the blue color channel than in the green or Red channel, there can be more noise in the blue channel. Gaussian noise is a PDF equal to that normal distribution is also known as Gaussian distribution. Gaussian noise is most commonly known as additive white Gaussian noise. Gaussian noise is properly defined as the noise with a Gaussian amplitude distribution. The transform-domain general, and in particular the multistate ones, are very efficient for AWGN reduction.

4. RESULTS AND DISCUSSION

The noise come from a noise source present in the capturing location or introduced due to imperfection in the image capturing device like camera. For ex. Focal length
May be week scattering and other conditions and may be present in the atmosphere, this leads to selection of proper noise model for image processing system. In this review work we have studied and analyzed the by considering methods based on best adaptive representations for natural images. We have analyzed that the better results than conventional representation models for image denoising and deblurring.

5. CONCLUSIONS

This paper explores de-noising performance of the different bi-orthogonal spline wavelets, when SWT is used as the transform for the de-noising operation. The de-noising action is found to improve with the use of bi-orthogonal wavelet of lower effective length for its high pass reconstruction filter. When the effective lengths of high pass reconstruction filter for any two bi-orthogonal spline wavelets are equal, the PSNR decreases with increase in the effective length of high pass decomposition filter. The influence of effective length of high pass decomposition filter on denoising performance is considerably less than that of high pass reconstruction filter; this is due to the fact that the latter has larger number of non-zero filter points than the former. The maximum value of PSNR is obtained by de-noising with the bi-orthogonal spline wavelet with the minimum effective reconstruction filter length co-efficient, whereas DSWT is Translation Invariant. In DSWT artifacts and aliasing is less than compared to DWT. This is the reason, why DSWT is preferred over DWT. We have applied Additive White Gaussian Noise to an original image (kid), and then DSWT is applied to get decomposed wavelet co-efficient to which various threshold techniques are applied for different wavelets. Inverse DSWT is applied to get reconstructed denoised image. this paper compared different wavelets such as Daubachies, Haar, Coiflet, Symlet with various threshold techniques such as default global hard and soft, VISU shrink soft and hard, Bayes shrink soft and Hard, SURE shrink soft and hard and Normal shrink and measured the parameters such as Mean Square Error (MSE) and Signal-to-Noise Ratio (SNR). After comparison, it is found that MSE for HAAR global hard wavelet threshold is the least among all. SNR for HAAR SURE shrink soft level 1 is the maximum and the best among all.

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